CCSS.Math.Content.HSS.ID.A. 2
Use statistics appropriate to the shape of the data distribution to compare center (median, mean) and spread (interquartile range, standard deviation) of two or more different data sets.

## Standard



## Class



## Group Practice \& Graphic Organizer (with Answers)

Objective: SWBAT Determine variance and standard deviation through using the SD 5 step process

Name: $\qquad$ Date: $\qquad$

## Class Activity: <br> Standard Heights?

List the name and height (in inches) of each member of your class in the space below:

Who is the tallest? Who is the shortest?
What is the mean height?
Estimate the standard deviation:
Graph the data on attached graph paper (histogram).
Find the standard deviation: $\qquad$
What is the distribution shape:
Are there any outliers? $\qquad$
Who is/are they? $\qquad$

Name: $\qquad$ Date: $\qquad$

## Class Activity: <br> Number of Athletes in Professional Sports

Below is a list of all the professional sport organizations in the United States and the current number of players in each (2014):

MLB: 858
MLS: 410
NBA: 463
NFL: 1861
NHL: 722
NASCAR: 76
PGA: 262

Which organization has the most players? Which organization has the least?
What is the mean of this data? $\qquad$
Estimate the standard deviation: $\qquad$
Graph the data on attached graph paper (histogram).
Find the standard deviation: $\qquad$
What is the distribution shape:
Are there any outliers? $\qquad$
Who is/are they?

## Standard Deviation Organizer

| Data Values (x): | Value - mean ( $\mathrm{x}-\overline{\mathrm{x}}$ ) $=$ | Differences ${ }^{2}(\mathrm{x}-\overline{\mathrm{x}})^{\mathbf{2}}=$ |
| :---: | :---: | :---: |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
| Add up Data Values = |  | Add up Differences ${ }^{2}=$ $\sum(x-\bar{x})=$ |
| Find the mean of the Data Values ( $\overline{\mathrm{x}}$ ) = |  | Find the mean of Differences ${ }^{2}$ $\begin{gathered} = \\ \frac{\sum(x-\bar{x})^{2}}{N}= \end{gathered}$ <br> (this is your VARIANCE) |
|  |  | Find the square root of your <br> VARIANCE = $\sigma=\sqrt{\frac{\sum(x-\bar{x})^{2}}{N}}=$ |

## Standard Deviation

## Organizer Teacher Copy class Activity \#2

| Data Values(x): | Value - mean ( $\mathrm{x}-\overline{\mathbf{x}})=$ | Differences ${ }^{\mathbf{2}}(\mathbf{x}-\overline{\mathbf{x}})^{\mathbf{2}}=$ |
| :---: | :---: | :---: |
| 858 | $858-664.6=193.4$ | $193.4^{2}=37403.6$ |
| 410 | $410-664.6=-254.6$ | $(-254.6)^{2}=64821.2$ |
| 463 | 463-664.6 =-201.6 | $(-201.6)^{2}=40642.6$ |
| 1861 | 1861-664.6 = 1196.4 | $1196.4^{2}=1431373$ |
| 722 | $722-664.6=57.4$ | $57.4^{2}=3294.8$ |
| 76 | $76-664.6=-588.6$ | $(-588.6)^{2}=346450$ |
| 262 | $262-664.6=-402.6$ | $(-402.6)^{2}=162086.8$ |
| Add up Data Values = $4652$ |  | Add up Differences ${ }^{2}=$ $\begin{gathered} \sum(x-\bar{x})= \\ = \\ 2086072 \end{gathered}$ |
| $\begin{aligned} & \text { Find the mean of } \\ & \text { the Data Values }(\overline{\mathrm{x}}) \\ & = \\ & 4652 \div 7= \\ & 664.6 \end{aligned}$ |  | Find the mean of Differences $\begin{gathered} 2= \\ \frac{\sum(x-\bar{x})^{2}}{N}= \\ 2086072 \div 7= \\ 198010.3 \end{gathered}$ <br> (this is your VARIANCE) |
|  |  | Find the square root of your <br> VARIANCE = $\begin{gathered} \sigma=\sqrt{\frac{\sum(x-\bar{x})^{2}}{N}}= \\ \sqrt{198010.3}= \\ 445 \end{gathered}$ |

